Tree Restoration (tree)

Paolo was once gifted a gorgeous tree with N nodes. Sadly he wasn't very interested in trees at the time, so he never took care of it. Over time new edges have grown and others got destroyed, and the once-beautiful tree is nowadays a not-so-beautiful *simple graph* (a graph that is not necessarily connected, without self-loops, and without multiple edges between the same pair of nodes).

Figure 1: Paolo's badly-groomed tree.

But Paolo changed a lot during this time! He watched "Guardians of the Galaxy" and grew fond of Groot (an anthropomorphic tree) so he is now determined to restore his tree to its former beauty.

Paolo can do the following types of operations:

- Add a new edge paying a cost of C_+ (always keeping the graph simple).
- Remove an existing edge paying a cost of C_-.

Paolo doesn't quite remember what the tree originally looked like, which is why he is now asking for your help. Of course you also have no idea, but since you are good friends, you are going to find a sequence of operations with minimum total cost and then convince him that the tree you obtained was indeed the original tree, so Paolo can finally find peace in his heart.

Input

The first line contains two integers: N and M, respectively the number of nodes and the number of edges in Paolo's graph.

The second line contains two integers: C_+ and C_-, the cost for adding and removing an edge respectively.

Each of the following M lines contains two integers: u_i and v_i, indicating that there is an edge between node u_i and node v_i.

Output

You need to output a single line containing the minimum total cost to obtain Paolo's original tree (well, any tree is fine) from the input graph.

Constraints

- $1 \le N \le 10^6$.
- $0 \le M \le \min\left(\frac{N(N-1)}{2}, 10^6\right)$.
- $1 \le C_+, C_- \le 10^9$.
- $1 \le u_i, v_i \le N$ for every i.
- The graph has no self-loops nor multiple edges.

Examples

input	output
5 4 10 10 1 2 2 3 1 3 4 5	20
4 3 10 10 1 2 1 3 1 4	0

Explanation

In the first example, you can remove edge $(1,3)$ and add edge $(2,4)$ to obtain a tree. Other solutions with the same minimum cost exist.

In the second example, the graph is already a tree so no operations are needed.